VGP351 – Week 4

Agenda:

- Physical theory of light
- Lighting models for graphics
- Shading models for graphics
- Types of lights
- Brief intro to global illumination



Lighting, in graphics, is the art of approximately simulating the manner in which light interacts with materials

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Remember:

"Light makes right."

Andrew Glassner

"If it looks good, it is good."

– Michael Abrash

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Two fundamental theories of how light works

 Wave theory of light – Christiaan Huygens proposed in 1690 that light is emitted in all directions as a series of waves



Double-Slit Experiment

- Thomas Young's 1801 double-slit experiment supports the wave theory
 - Light emitted through two thin slits causes alternating light and dark bands projected on a surface

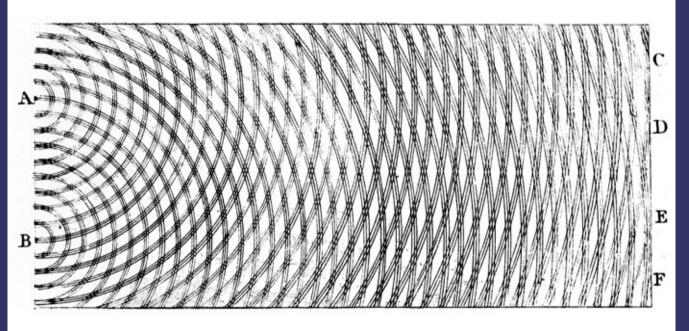




Image from http://en.wikipedia.org/wiki/File:Young_Diffraction.png

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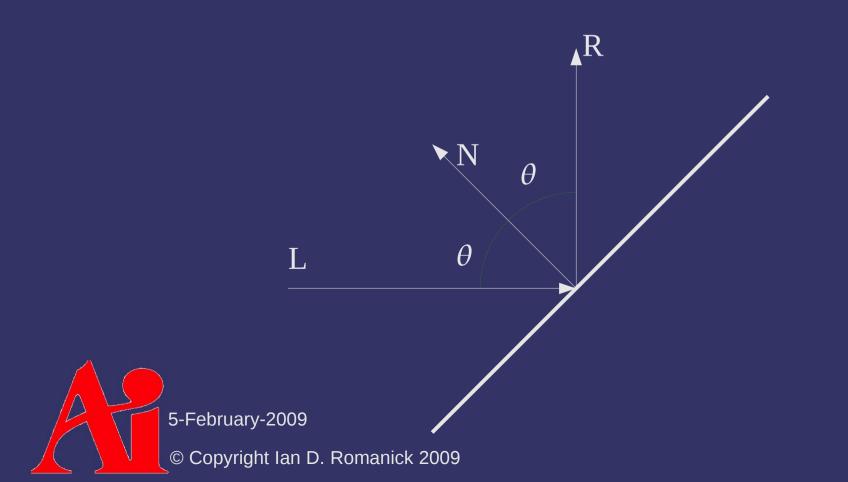
Two fundamental theories of how light works

- Wave theory of light Christiaan Huygens proposed in 1690 that light is emitted in all directions as a series of waves
- Particle theory of light Ibn al-Haytham proposed in 1021 that light beams are made of minuscule energy particles that travel in a straight line at a fixed speed



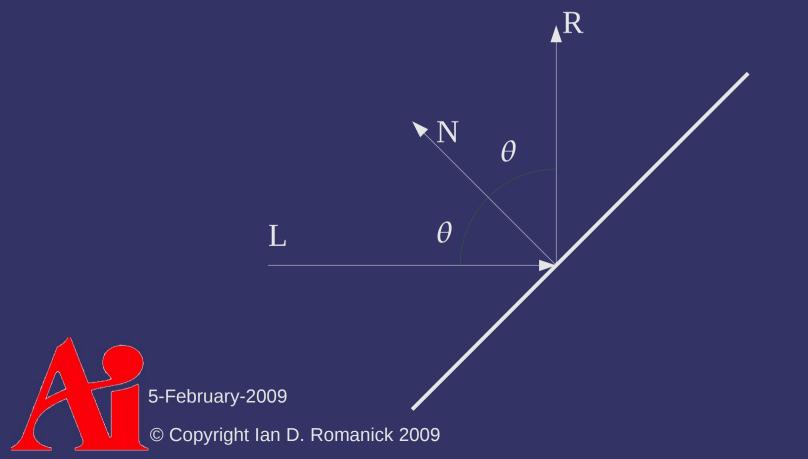
Particle Theory – Reflection

Particle theory of light correctly predicts reflection



Particle Theory – Reflection

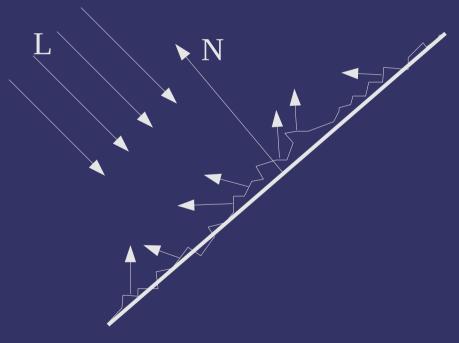
- Particle theory of light correctly predicts reflection
 - This perfect, mirror-like reflection is called *specular reflection*



Particle Theory – Reflection

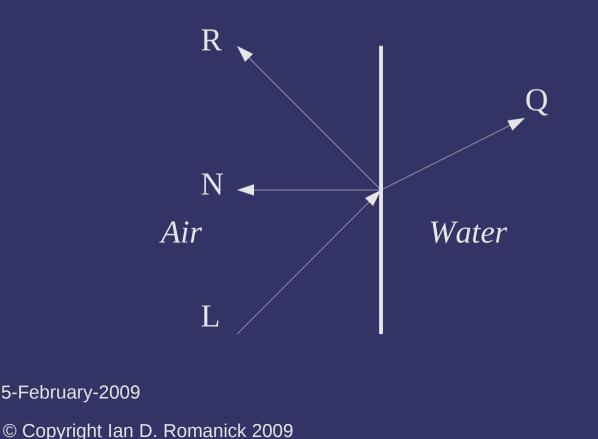
What about "rough" surfaces?

- Light rays scatter in all directions
- This is called *diffuse reflection*



Wave Theory – Refraction

- When light leaves one material and enters another, it changes direction
 - At the *interface* the speed changes, and the light bends



Wave Theory – Refraction





Computer Lighting Models

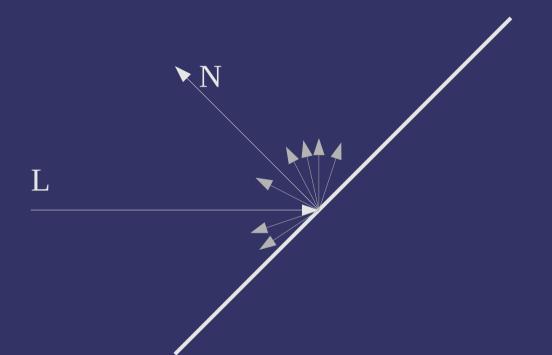
- Every model is a simplification of the physical phenomena
 - We'll look at three *simple* models today:
 - Lambertian reflectance
 - Phong reflection model
 - Blinn-Phong reflection model
 - We'll look at a number of more complex models next term



Reflection from ideal diffuse reflectors obeys Lambert's Cosine Law:

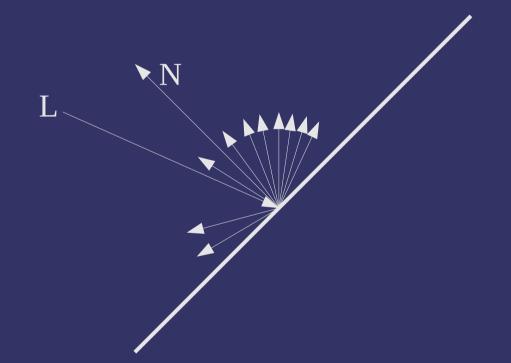
> The radiant intensity reflected is proportional to the cosine between surface normal and the incoming light





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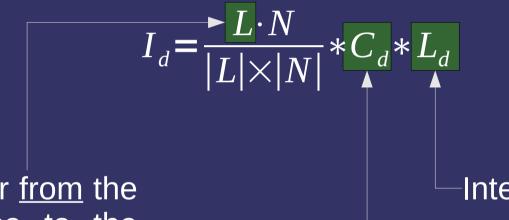


Reflection from ideal diffuse reflectors obeys Lambert's Cosine Law:

$$I_d = \frac{L \cdot N}{|L| \times |N|} * C_d * L_d$$



Reflection from ideal diffuse reflectors obeys Lambert's Cosine Law:



Vector <u>from</u> the surface to the light Intensity of the light
 Diffuse color of the surface



Reflection from ideal diffuse reflectors obeys Lambert's Cosine Law:

$$I_{d} = \frac{max(L \cdot N, 0)}{|L| \times |N|} * C_{d} * L_{d}$$

Why is this necessary?



Reflection from ideal diffuse reflectors obeys Lambert's Cosine Law:

$$I_{d} = \frac{max(L \cdot N, 0)}{|L| \times |N|} * C_{d} * L_{d}$$

Because *L*•*N* can be negative. Negative light is nonsense!



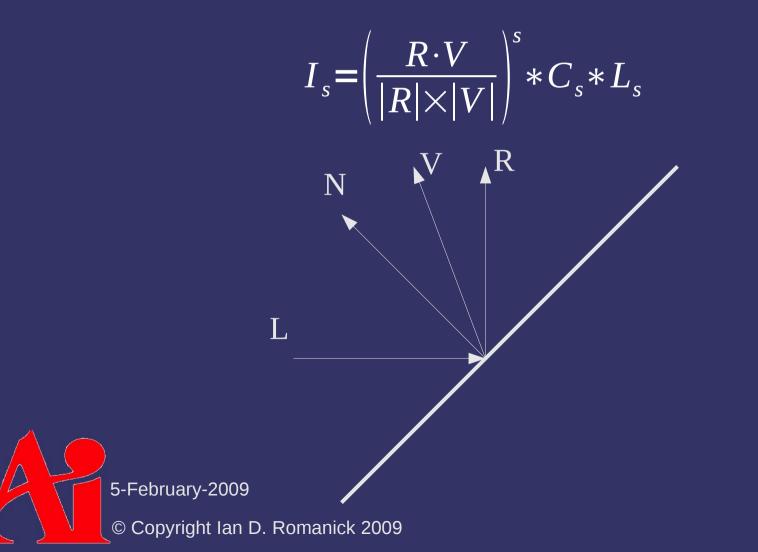
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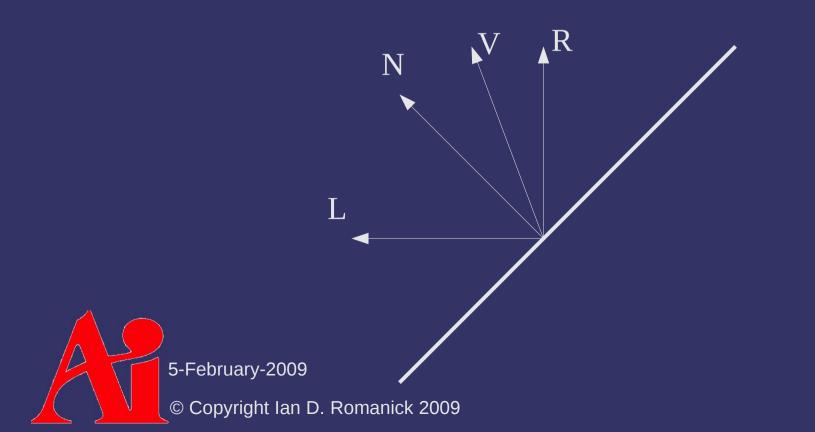
Note that the viewer is not involved at all in this calculation

- Hence, diffuse lighting is *view independent*

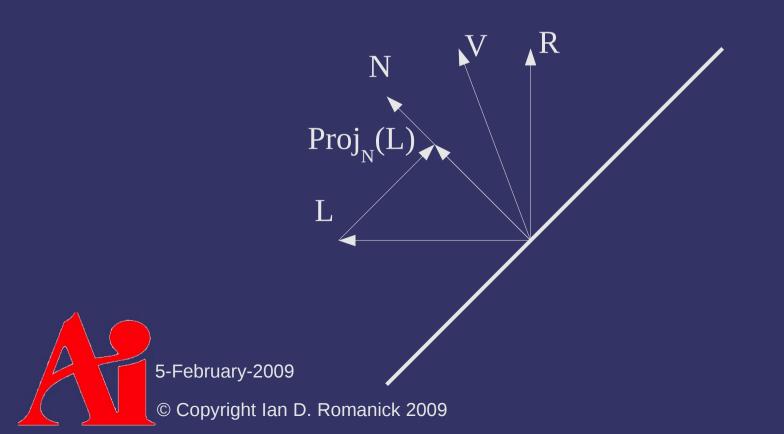
Adds a mirror-like reflection factor to the diffuse factor



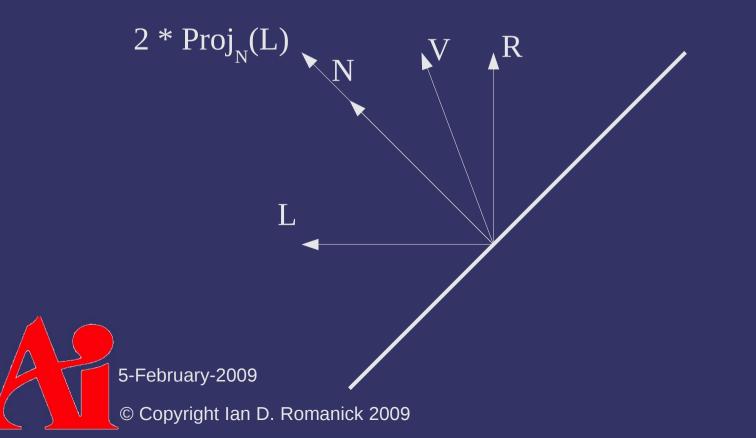
- Adds a mirror-like reflection factor to the diffuse factor
 - *N*, *V*, and *L* are known in advance, but *R* is not...but it can be calculated in a few steps



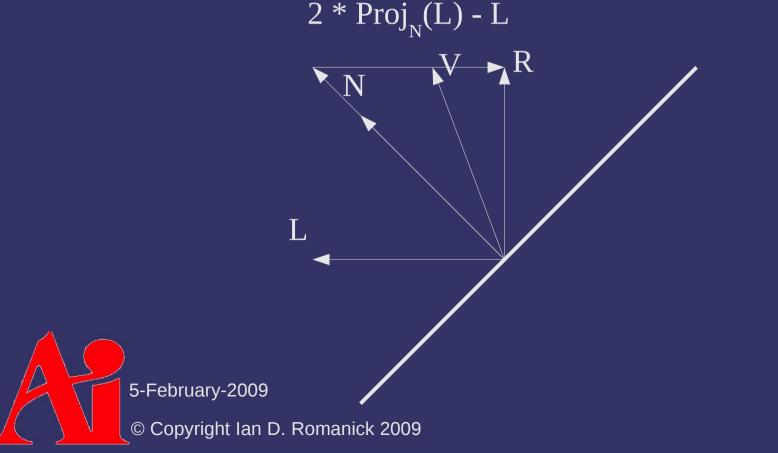
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$$R = \frac{2(N \cdot L)}{|N| \times |L|} N - L$$
$$I_{s} = \left(\frac{R \cdot V}{|R| \times |V|}\right)^{s} * C_{s} * L$$

- Adds a mirror-like reflection factor to the diffuse factor
 - *N*, *V*, and *L* are known in advance, but *R* is not...but it can be calculated in a few steps

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$$I_{s} = \left(\frac{R \cdot V}{|R| \times |V|}\right)^{s} * C_{s} * L_{s}$$

- This is a lot of math... very expensive to calculate.

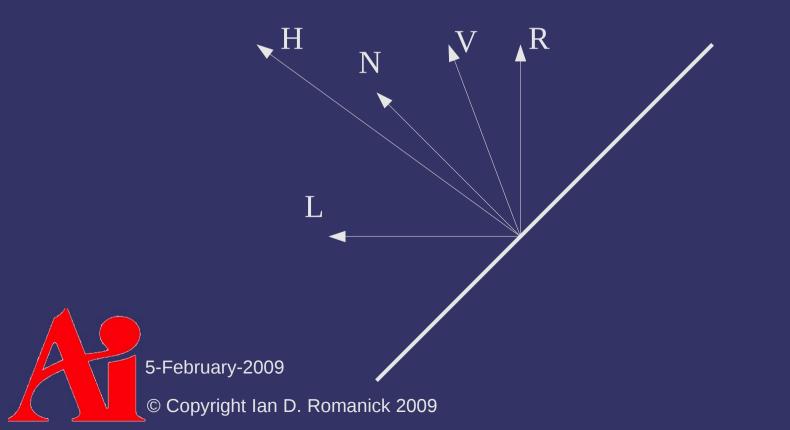
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Blinn-Phong Reflectance

James Blinn improved Phong's model in 1977

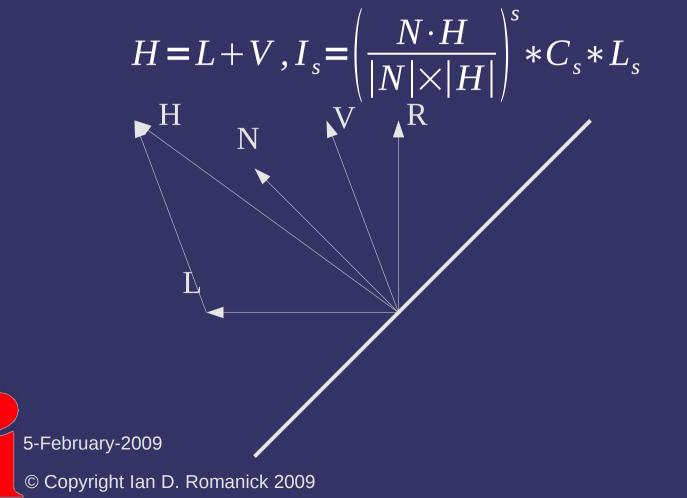
- Jim observed that as $V \cdot R$ increases, so does $N \cdot H$, where H is a vector half way between V and L



Blinn-Phong Reflectance

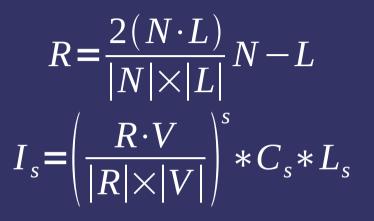
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- Jim observed that as $V \cdot R$ increases, so does $N \cdot H$, where H is a vector half way between V and L



Shininess

What is the magic s in the exponent of both equations?



$$H = L + V$$
$$I_{s} = \left(\frac{N \cdot H}{|N| \times |H|}\right)^{s} * C_{s} * L_{s}$$

Shininess

- What is the magic s in the exponent of both equations?
 - Controls the "size" of the specular highlight
 - As s increases, the highlight gets smaller
 - The dot-product is always less than 1.0, so raising it to some power makes it smaller faster.

$$R = \frac{2(N \cdot L)}{|N| \times |L|} N - L$$
$$I_{s} = \left(\frac{R \cdot V}{|R| \times |V|}\right)^{s} * C_{s} * L_{s}$$

$$H = L + V$$
$$I_{s} = \left(\frac{N \cdot H}{|N| \times |H|}\right)^{s} * C_{s} * L_{s}$$

Ambient

- The lighting model so far is a purely *direct* lighting model
 - Most real world light bounces off of other objects, and is call *indirect lighting*
 - We can account for the background, indirect light by adding a simple ambient component

$$I_a = C_a * L_a$$

This is the biggest hack of all!

Break

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Shading Models

We know how to calculate lighting values, but the question remains: how often do we calculate it?

Flat Shading

- Simplest answer: calculate lighting once per polygon
 - Fast!
 - Depending on the circumstances, the quality may be good enough...but usually not



Gouraud Shading

Calculate lighting once per vertex, interpolate colors across polygon

- A little slower: more math, have to do interpolation



Calculate lighting once per vertex, interpolate colors across polygon

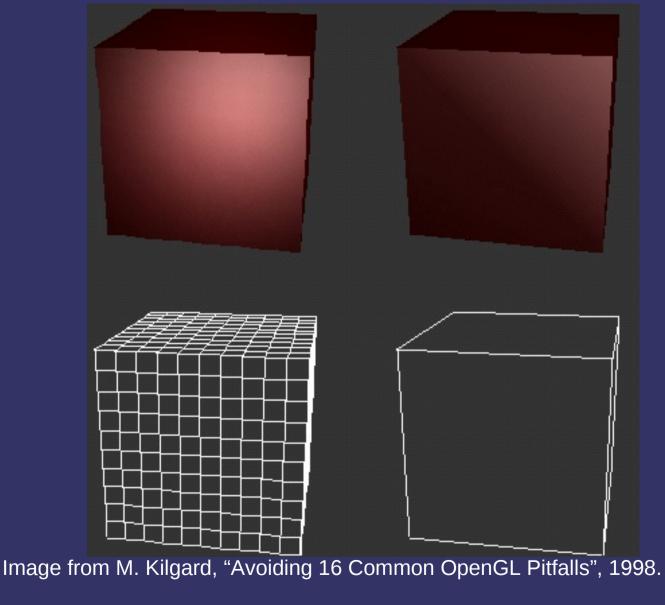
- A little slower: more math, have to do interpolation

For all intents and purposes, this is free.

Calculate lighting once per vertex, interpolate colors across polygon

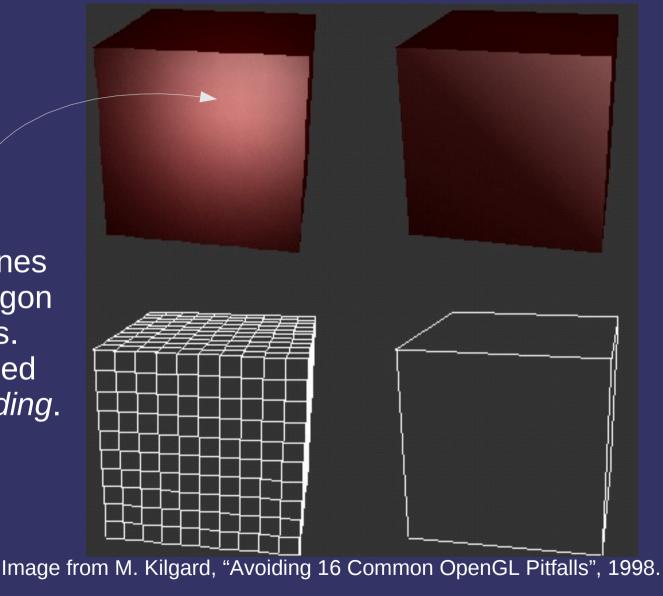
- A little slower: more math, have to do interpolation
- Looks better
- Works well for diffuse, but works poorly for specular





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Note the lines at the polygon boundaries. This is called mach banding.

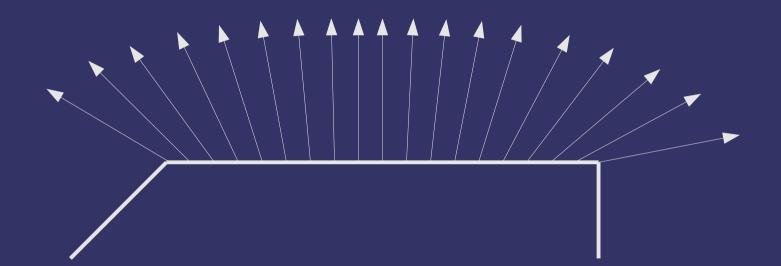


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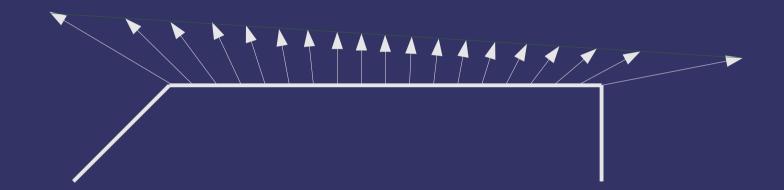
Phong Shading

- Next logical step: interpolate lighting parameters, calculate lighting per pixel
 - Looks much better...doesn't miss the specular highlight!
 - Much more expensive to calculate
 - Has really only been practical for real-time rendering for the last couple years
 - Not only requires the lighting to be recalculated per pixel, but interpolated vectors may need to be re-normalized per pixel

Phong Shading



Phong Shading



Types of Lights

- Several common types of lights used in graphics:
 - Point light
 - Directional light
 - Also called infinite light
 - Area lights
 - Spot lights



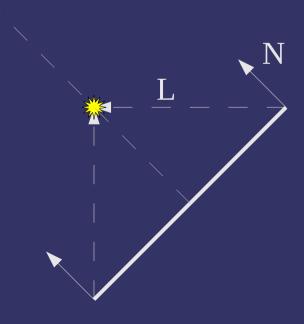
Calculate the L vector by subtracting the vertex position from the light position and normalize the result

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Calculate the L vector by subtracting the vertex position from the light position and normalize the result

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Calculate the L vector by subtracting the vertex position from the light position and normalize the result



Calculate the L vector by subtracting the vertex position from the light position and normalize the result

Note how the *L* vectors become more parallel as the distance to the light increases.

Directional Lights

- As the light becomes infinitely far away, all of the calculated L vectors become parallel
 - When this happens, we can simplify the math and treat the light has *just* a direction
 - Since the direction doesn't change, we don't have to interpolate it
 - Still have to transform it into the space where lighting will be calculated



Area Lights

- Both these models treat lights as infinitesimal points
 - All real lights have some surface area
 - Lights with larger surface areas are considered "softer"
 - This results in shadows with smoother boundaries
 - This is why we have frosted light bulbs and lamp shades instead of bare, clear glass bulbs
 - Techniques exist for handling these sorts of lights, but they are expensive and (currently) impractical for most real-time use

We'll discuss this more next term

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Spot Light

Most lights don't emit light in all directions

- Some range over which the full intensity light is emitted
- Some range over which the full intensity light is emitted
 - This range may be zero
- Remaining range where no light is emitted





Full intensity light



Partial intensity light



Image, by *satanoid*, from http://www.everystockphoto.com/photo.php?imageId=673587 5-February-2009



Full intensity light



No ambient light

Partial intensity light



Image, by *satanoid*, from http://www.everystockphoto.com/photo.php?imageId=673587 5-February-2009

Spot Light

Need additional light parameters:

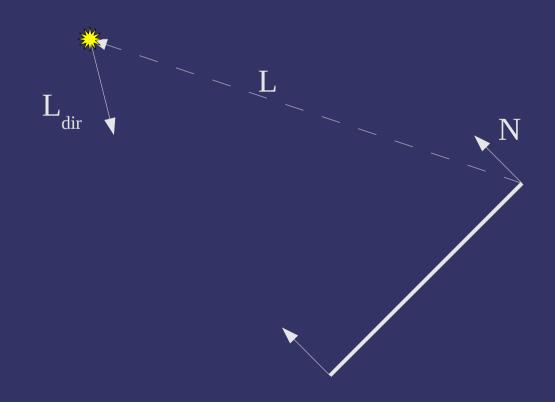
- L_{dir} direction the light is pointing
- L_{cut} Absolute cut-off angle
- L_{exp} Exponent for cut-off equation

L



Spot Light

$$I = \begin{cases} \left(L_{dir} \cdot -L \right)^{L_{exp}} * I_{L} & \text{if} \left(L_{dir} \cdot -L \right) > \cos \left(L_{cut} \right) \\ 0 & \text{otherwise} \end{cases}$$



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Distance Attenuation

- The farther a light is from an object, the less light gets to that object
 - Three separate factors control the attenuation
 - k_{c} constant attenuation factor
 - k_{i} Linear attenuation factor
 - $k_a Quadratic attenuation factor$

$$d = |L|$$

$$a = \frac{1}{k_c + k_l d + k_q d^2}$$

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Next week...

- Quiz #2
- Texture mapping, part 1 of 3



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